



## VALUABLE PUMP FORMULAS

### Pressure Pipe Velocity Centrifugal Pumps

Feet of Water X 0.4333	= PSI
(PSI X 2.31)/Sp. Gr.	= Feet of Water
(Ft. Head x Sp. Gr.)/2.31	=PSI
PSI x 6.9	=kPa
ATM x 14.7	=PSI
ATM x 33.9	=Feet of Water
ATM x 760	=mm Hg
kg/cm <sup>2</sup> x 1.42	=PSI
Meters of Water x 1.42	=PSI
Bar x 14.5	=PSI
Inches of Hg x 0.491	=PSI

Velocity in Feet per Second:	GPM x 0.321 Pipe Area in Square Inches
Rule of Thumb:	Typically, keep pipe velocities around 10 ft/second for good results.
Suction Piping:	Generally, have piping in one plane from source tank and have a straight run at least 10 times the pipes diameter leading into the pump suction.
Pipe Size:	Doubling the diameter of a pipe increases its capacity 4 times.

Liquid HP:	$\frac{\text{GPM} \times \text{ft. of Head} \times \text{Sp. Gr.}}{3960}$		
Brake HP:	$\frac{\text{GPM} \times \text{TDH} \times \text{Sp. Gr.}}{3960 \times \text{Pump Efficiency}}$		
Efficiency	BHP		
Overall HP:	Motor Efficiency		
Estimated effects of viscosity on Centrifugal Pumps			
SSU	FLOW	HEAD	EFFICIENCY
35	100%	100%	80%
500	95%	98%	80%
1000	92%	97%	70%

### Rotary Positive Displacement Pumps Approximate RPM @ Full Load - for medium sized motors

Liquid HP:	$\frac{\text{GPM} \times \text{PSI}}{1714}$
Volumetric Efficiency:	$\frac{\text{Actual GPM}}{\text{Theoretical GPM}}$
Overall Pump Efficiency:	$\frac{\text{LHP}}{\text{BHP}}$
Mechanical Efficiency:	$\frac{\text{Overall Pump Efficiency}}{\text{Volumetric Efficiency}}$

Poles	RPM (60 Hz)	Sync Speed	RPM (50 Hz)	Sync Speed
2	3500	3600	2850	3000
4	1750	1800	1450	1500
6	1150	1200	950	1000
8	850	900	700	750
Synchronous Speed (no load) Formula		RPM=	$\frac{\text{Frequency(Hz)} \times 120}{\text{Number of Poles}}$	

### Insulation Class NEMA 1.15 Service Factor Rules of Thumb for Motors

A	150°C	221° F
B	130°C	266° F
F	155° C	311° F
H	180° C	356° F

A motor develops 1.5 ft-lbs per HP @ 3600 RPM	A 3-phase motor draws 1.00 Amp per HP @ 557 Volts
A motor develops 3.0 ft-lbs per HP @ 1800 RPM	A 3-phase motor draws 1.25 Amp per HP @ 460 Volts
A motor develops 4.5 ft-lbs per HP @ 1200 RPM	A 3-phase motor draws 2.50 Amp per HP @ 230 Volts

Maximum motor temperature including temperature rise plus 40° C ambient temperature

$$\text{HP} = \frac{\text{Torque (ft-lbs)} \times \text{RPM}}{5252}$$

$$\text{Torque (in lbs)} = \frac{\text{HP} \times 63,000}{\text{RPM}}$$

### Particle Size Comparison Atmospheric Pressure Viscosity Affinity Laws for Centrifugal Pumps

Mesh	Inch	Micron
3250	.0002	6
1600	.0005	14
750	.0010	25
325	.0016	40
250	.0024	62
200	.0029	74
180	.0033	85
150	.0041	100
120	.0046	118
100	.0055	149
80	.0070	179
50	.0117	300
40	.0150	385
30	.0200	513
24	.0280	718
20	.0340	872
18	.0390	1000
16	.0450	1154
14	.0510	1308
12	.0600	1538
10	.0750	1923
8	.0970	2488
6	.1320	3385
4	.1590	4077
2	.2030	5205

Altitude in Feet	Pressure in PSIA
0	14.70
100	14.64
300	14.54
500	14.43
700	14.33
1,000	14.17
1,500	13.92
2,000	13.66
3,000	13.17
4,000	12.69
5,000	12.23
7,000	11.34
10,000	10.11
15,000	8.29
20,000	6.76
25,000	5.45
30,000	4.36
40,000	2.72
50,000	1.68
60,000	1.04

**CONVERSIONS:**

SSU\* = Centistokes x 4.55

Degrees Engler\* = Centistokes x 0.132

Sec. Redwood 1\* = Centistokes x 4.05

1 Stoke = 100 Centistokes

1 Poise = 100 Centipoises

Centistokes = Centipoise/Sp. Gr.

\*Where Centistokes are greater than 50

**Definitions:**

Newtonian fluids are unaffected by shear, e.g. water mineral oil.

Non-Newtonian fluids are affected by shear (5 types).

Bingham-Plastic fluids have an exact shear point which once exceeded, viscosity decreases.

Pseudo-Plastic fluids have no exact yield point, but instead, viscosity decreases as the magnitude of shear rate increases.

Dilatant fluids viscosity increases as the magnitude of the shear rate increases, e.g. printing ink, candy compounds.

Thixotropic fluids decrease in viscosity both in relation to the shear magnitude and the period of time subjected to shear. Viscosity might also depend on a previous shear condition, e.g. drilling mud, starches, paint.

Rheopectic fluids increase viscosity both in relation to the shear magnitude and the period of time subjected to shear, e.g. some greases.

These formulas can be used to estimate capacity, head and BHP for a pump speed or impeller diameter when a curve is not readily available.

- Flow is directly proportional to the ratio of impeller speed:
 
$$\text{GPM}_2 = \frac{\text{GPM}_1 \times \text{RPM}_2}{\text{RPM}_1}$$
- Head is directly Proportional to the square of the ratio of impeller speed:
 
$$\text{Head}_2 = \text{Head}_1 \times \left( \frac{\text{RPM}_2}{\text{RPM}_1} \right)^2$$
- The HP is directly proportional to the ratio of impeller speed:
 
$$\text{BHP}_2 = \text{BHP}_1 \times \left( \frac{\text{RPM}_2}{\text{RPM}_1} \right)^3$$
- Flow is directly proportional to the ratio of impeller diameter:
 
$$\text{Flow}_2 = \text{Flow}_1 \times \left( \frac{\text{Impeller Diameter}_2}{\text{Impeller Diameter}_1} \right)^3$$
- Head is directly proportional to the square of the ratio of Impeller diameter:
 
$$\text{Head}_2 = \text{Head}_1 \times \left( \frac{\text{Impeller Diameter}_2}{\text{Impeller Diameter}_1} \right)^2$$
- The HP is directly proportional to the cube of the ratio of impeller diameter:
 
$$\text{BHP}_2 = \text{BHP}_1 \times \left( \frac{\text{Impeller Diameter}_2}{\text{Impeller Diameter}_1} \right)^3$$

1 Micron = 10<sup>-6</sup> Meters  
1 Micron = 3.9 x 10<sup>-5</sup> inch